



*Comenius University, Bratislava*  
*Faculty of Mathematics, Physics and Informatics*  
*Departure of Computer Science*

Branislav Katreniak, Jana Katreniaková

On the Inability of Gathering by Asynchronous  
Mobile Robots with Initial Movements

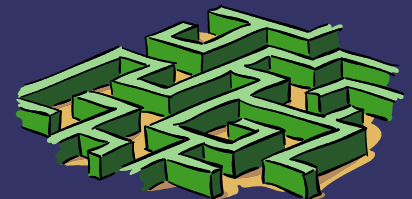
Advisor: Doc. Rastislav Kráľovič

Bratislava



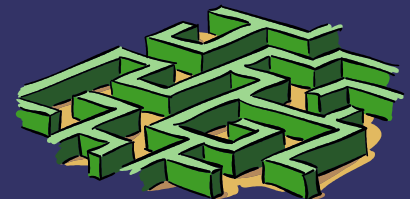
# 1. Model definition

- ⇒ Community of robots
- ⇒ Anonymous
- ⇒ Fully asynchronous
- ⇒ No common origin
- ⇒ No common unit of distance
- ⇒ No common sense of direction
- ⇒ No direct communication



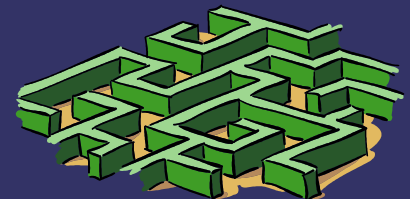
# 1.1 Robots

- ⇒ Sensors to detect the instantaneous positions of other robots
- ⇒ Infinitely small (points)
- ⇒ Unbounded Euclidean plane
- ⇒ Never collide, can occupy the same location
- ⇒ Observe, compute, move with infinite precision
- ⇒ Deterministic
- ⇒ Oblivious



# 1.2 Scheduling

- ⇒ The cycle of robots' lives
  - Wait
  - Look
  - Compute
  - Move
- ⇒ Each phase can take arbitrary long, but finite time
- ⇒ No state preserved from previous cycles



# 1.3 *Traditional initialization*

- ⇒ All robots are initially not moving
- ⇒ Algorithms able to prevent certain configurations
- ⇒ Robots cannot be ever pushed



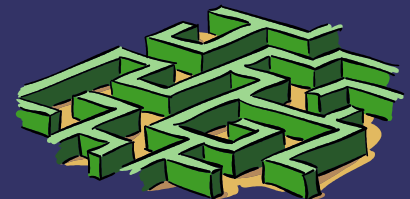
# 1.4 Initialial movements

- ⇒ Robots are initially moving to arbitrary point
- ⇒ Algorithms must solve all configuration
- ⇒ Robots can be pushed few times



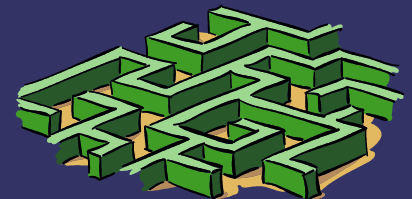
## 2. *Gathering problem*

- ⇒ Given a group of robots in the plane
- ⇒ Arrange them at one point on the plane in finite time
- ⇒ Solvable for zero initial movements with multiplicity detection for  $n > 2$



## *2.1 Inability of gathering*

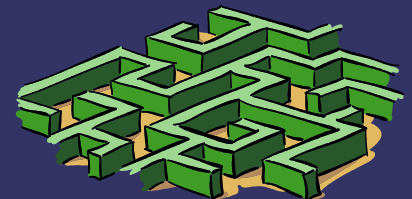
- ➔ Force robots to repeat two similar configurations
- ➔ Repeat the scheduling infinitely



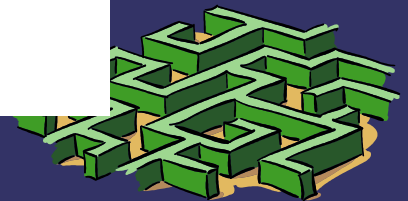
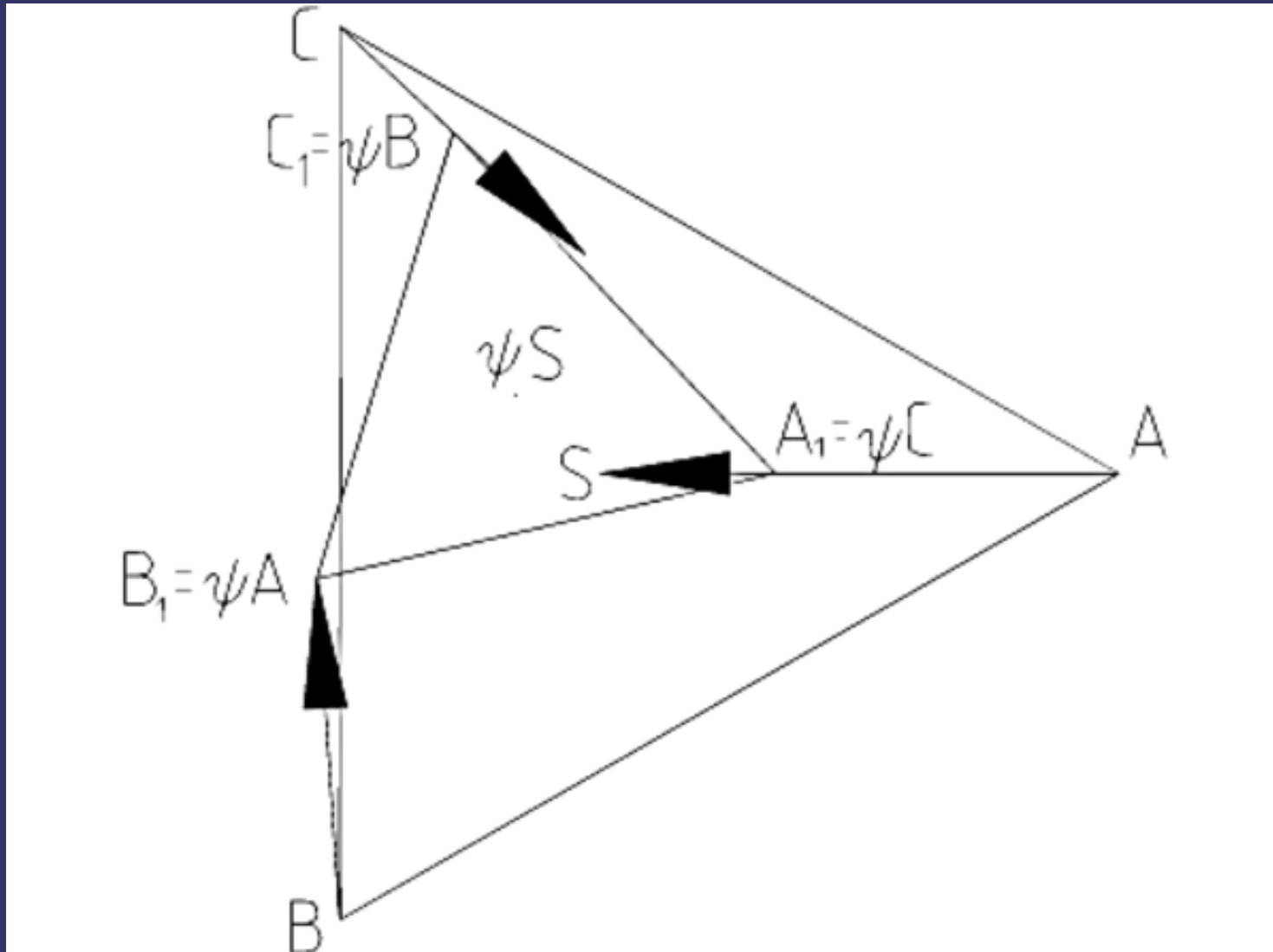


# *Regular circle snapshots*

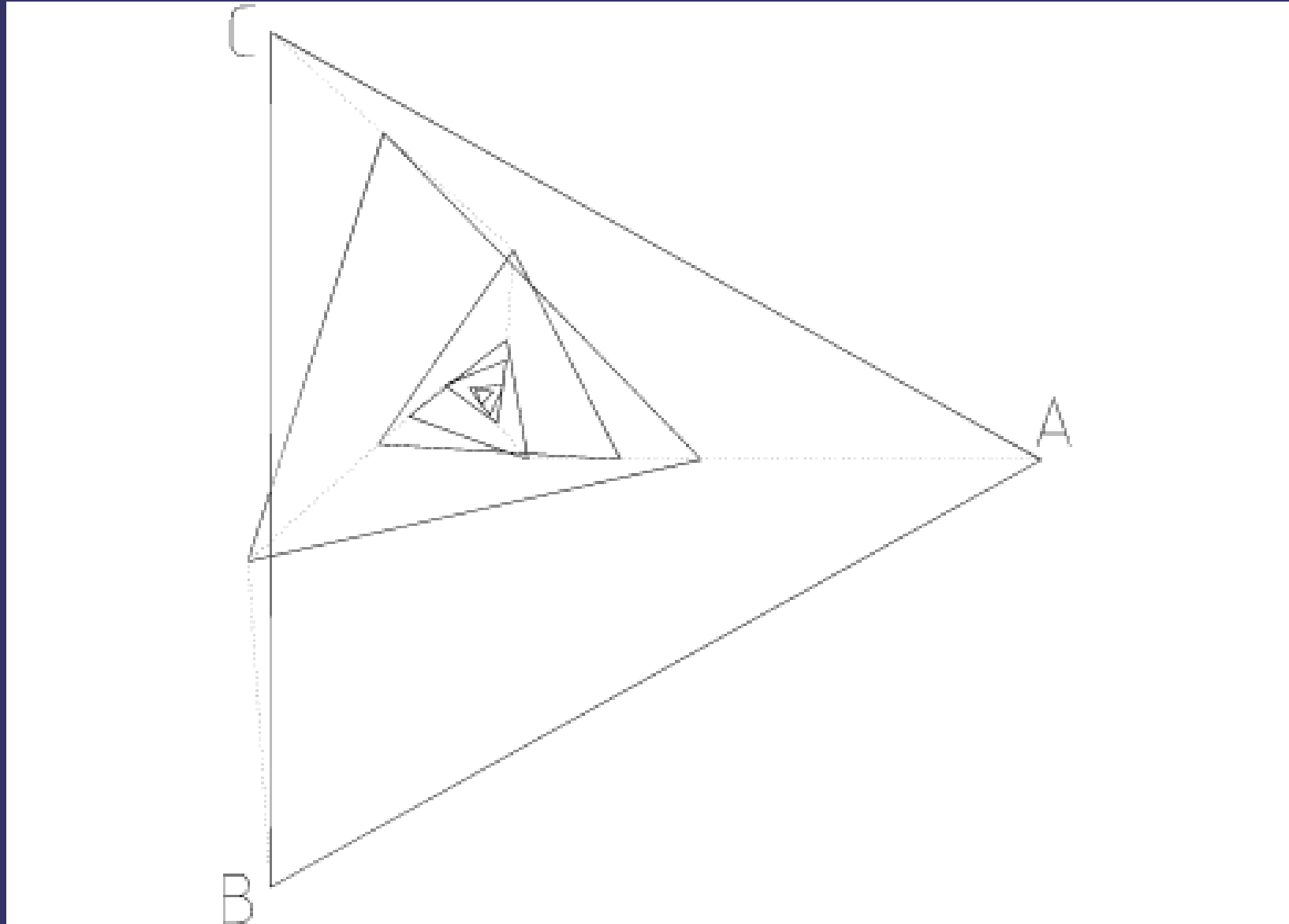
- Robots must choose the center
- If not, similar snapshots can be achieved



# *Pattern construction*



# *Pattern simulation*



# Conclusions



...

